

Magnetic chemically peculiar stars

Markus Schöller and Svetlana Hubrig

Abstract Chemically peculiar (CP) stars are main-sequence A and B stars with abnormally strong or weak lines for certain elements. They generally have magnetic fields and all observables tend to vary with the same period. Chemically peculiar stars provide a wealth of information; they are natural atomic and magnetic laboratories. After a brief historical overview, we discuss the general properties of the magnetic fields in CP stars, describe the oblique rotator model, explain the dependence of the magnetic field strength on the rotation, and concentrate at the end on HgMn stars.

1 Introduction

Ap and Bp stars are main sequence A and B stars, in the spectra of which lines of some elements are abnormally strong or weak (e.g., Si, Sr, Cr, Eu, He, ...). They generally have magnetic fields that can be detected through observations of circular polarization in spectral lines. Observables, such as the magnitudes in various photometric bands, the spectral line equivalent widths, and the magnetic field, vary with the same period, which can range from half a day to several decades. Abnormal line strengths correspond to element overabundances (by up to 5–6 dex with respect to the Sun) and are confined to the stellar outer layers. The class of chemically peculiar (CP) stars is roughly represented by three subclasses: the magnetic Ap and Bp stars, the metallic-line Am stars, and the HgMn stars. An overview of the different groups of CP stars can be found in Table 1.

Markus Schöller

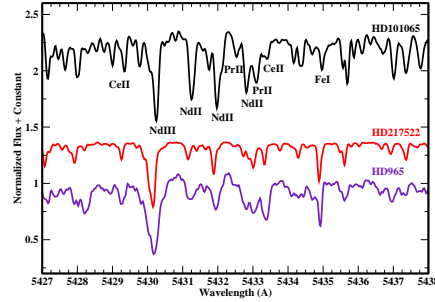
European Southern Observatory, Karl-Schwarzschild-Str. 2, 85748 Garching, Germany, e-mail: mschoell@eso.org

Svetlana Hubrig

Leibniz-Institut für Astrophysik, An der Sternwarte 16, 14482 Potsdam, Germany e-mail: shubrig@aip.de

Table 1 Different groups of chemically peculiar stars.

Peculiarity Type	Spectral Type	T_{eff} range	magnetic spots	
He-strong	B1-B4	17 000 – 21 000	yes	yes
He-weak	B4-B8	13 000 – 17 000	yes	yes
Si	B7-A0	9 000 – 14 000	yes	yes
HgMn	B8-A0	10 000 – 14 000	yes?	yes!
SrCrEu	A0-F0	7 000 – 10 000	yes	yes
Am	A0-F0	7 000 – 10 000	yes?	no

**Fig. 1** UVES observations of HD 101065, HD 217522, and HD 965. The magnetically insensitive Fe I line at λ 5434 Å is sharp and has a similar width in all three spectra. – Credit: Hubrig et al. (2002).

Chemically peculiar stars provide a wealth of information. E.g., Castelli & Hubrig (2004) analyzed a spectrum of the HgMn star HD 175640, observed with UVES at a spectral resolution of $R \sim 90\,000 - 100\,000$ and a spectral coverage of $3040 - 10\,000$ Å. They used an ATLAS12 model atmosphere (Kurucz 1997) with the SYNTHE code (Kurucz 1993) to model this spectrum. They were able to obtain abundances for 49 ions, using 200 lines for abundances of light elements, 230 lines for abundances of ion group elements, and 130 lines for abundances of elements with $Z \geq 31$. They identified 80 Ti II emission lines, 40 Cr II emission lines, and used 100 lines to study the Mn II hyperfine structure, 140 lines for the Ga II isotopic structure, 15 lines for the Ba II hyperfine structure, and 30 lines for Hg II isotopic and hyperfine structure. Still, there remained 170 unidentified absorption lines and 30 unidentified emission lines.

The difference between a non-peculiar star and a CP star can be striking. Looking at the spectrum of Vega, in the region between 5000 and 6000 Å there are only a few lines of Na I, Mg I, Si II, and Fe II. On the other hand, CP stars can have a dozen lines within a spectral range of 10 Å, which can be seen in Fig 1. The overabundances seen in CP stars are the result of selective diffusion of the different elements (Michaud 1970). See also Chapter “Diffusion and its manifestation in stellar atmospheres”.

2 A brief historical overview

The first detection of a magnetic field in a star other than the Sun was achieved in CS Vir by Babcock (1947). He essentially determined the longitudinal magnetic field in this star. Today, mean longitudinal magnetic field measurements throughout the variation period have been obtained for no more than 100 stars. The resolution of magnetically split lines requires a strong enough magnetic field and sufficiently slow rotation. Resolved magnetically split lines were first discovered in Babcock's star, HD 215441 (Babcock 1960), for which he measured a mean magnetic field modulus of $\langle B \rangle \sim 34$ kG, and which is the strongest magnetic field modulus measured in an Ap star to date. In 1987, twelve stars with magnetically resolved lines were known, only four of those were studied throughout their variation period. In 2001, 44 stars with magnetically resolved lines were known, 24 of those were studied throughout their variation period (Mathys et al. 1997; Mathys et al., *in preparation*). First systematic determinations of the crossover effect and the mean quadratic magnetic field were published by Mathys (1995a,b). A full phase coverage was achieved for about two dozen stars. The bulk of the published material on broad-band linear polarization (BBLP) was gathered by Leroy between 1990 and 1995 (Leroy 1995, and references therein). Variations in BBLP were well studied for about 15 stars. See Chapter "Magnetic fields" on a detailed discussion of stellar magnetic fields.

3 General properties of magnetic fields in Ap stars

The strongest magnetic fields tend to be found in more massive stars. They are also found only in fast-rotating stars (Hubrig et al. 2000). All stars with rotation periods exceeding 1000 days have magnetic fields below 6.5 kG. From the finding that the longitudinal magnetic field averaged over the stellar disk is not zero, one can directly conclude that the magnetic field needs to be organized on a larger scale, i.e. it is a dipole or a superposition of a dipole and a quadrupole. The circular polarization from tangled, solar-like magnetic fields mostly cancels out in a disk integration. The magnetic field of Ap stars thus has a significant dipole-like component. For a dipole, the ratio between the longitudinal magnetic field and the magnetic field modulus $\langle B_z \rangle / \langle B \rangle$ is 0.3, for a quadrupole it is 0.05. If toroidal or higher-order multipolar components were sufficient to account for the observed longitudinal magnetic field, these would induce strong distortions of the spectral line profiles in Stokes I , i.e. in integral light, which we do not see.

The magnetic field covers the whole stellar surface homogeneously, i.e. the distribution of the field strength over the star is fairly narrow. Evidence for this comes from the fact that the magnetic field is observed at all phases, the continuum is reached between the split components of resolved lines, and that the resolved magnetically split components are rather narrow (Mathys et al. 1997).

Magnetic fields have severe effects on the structure of stellar outer layers. They are responsible for magnetically controlled winds and elemental abundance stratifi-

cation. Evidence for abnormal atmospheric structure comes from the fact that profiles of hydrogen Balmer lines in cool Ap stars can not be fitted by conventional models (Ryabchikova et al. 2002). This has also a potential impact on the longitudinal magnetic field determination by Balmer line polarimetry. The core-wing anomaly (Cowley et al. 2001) of the hydrogen Balmer lines leads to the impossibility of fitting the Balmer lines with one effective temperature. E.g., to fit the $H\beta$ line in HD 965, one needs to assume $T_{\text{eff}} = 5500$ K for the core of the line and $T_{\text{eff}} = 7000$ K for the wings.

4 The oblique rotator and the geometric structure of the magnetic field

The magnetic field is not symmetric with respect to the stellar rotation axis. Other surface features, e.g. the abundance distribution, are determined by the magnetic field. Observed variations result from changing aspects of the visible hemisphere as the star rotates. Thus, the variation period is the rotation period of the star. No intrinsic variations of the magnetic field have been observed in Ap stars over timescales of decades.

In early models of the magnetic field, a quasi-sinusoidal variation of the longitudinal magnetic field was assumed. In the simplest model, a dipole centered at the star's center and with an axis inclined with respect to the stellar rotation axis, was employed. From stars with magnetically resolved lines, it can be seen that the mean magnetic field modulus generally has one maximum and one minimum per rotation period, even for stars with a reversing longitudinal magnetic field (Mathys et al. 1997). From these observations, a centered dipole can be ruled out. Alternative models include a dipole that is offset along its axis (parameters: i , β , B_d , a), or a collinear dipole plus a quadrupole (parameters: i , β , B_d , B_q), with i the inclination angle of the star with respect to the line of sight, β the inclination angle of the magnetic field with respect to i , B_d the strength of the dipole, B_q the strength of the quadrupole, and a the offset of the dipole with respect to the star's center. The models have to make a good match with four observables: the maximum and the minimum of both the longitudinal magnetic field and the magnetic field modulus. Both models are equivalent to first order.

Additional constraints on the magnetic field geometry can come from the cross-over and the mean quadratic magnetic field. A collinear dipole plus a quadrupole and an octupole give good first approximations in many cases (Landstreet & Mathys 2000). The dipole primarily accounts for the longitudinal magnetic field, the quadrupole gives the field strength contrast between the poles, and the octupole is responsible for the equator-to-pole field strength contrast. Asymmetric variation curves can be determined from some magnetic field moments. They exist, if the magnetic field is not symmetric about an axis passing through the center of the star (Mathys 1993) and can be described with a generalized multipolar model (Bagnulo et al. 2000, and references therein). The input observables for these models are all

available observables of the magnetic field: $\langle B_z \rangle$, $\langle xB_z \rangle$, $\sqrt{\langle B^2 \rangle + \langle B_z^2 \rangle}$, $\langle B \rangle$, and the BBLP. A χ^2 minimization between the predicted and the observed values of the observables at phases distributed throughout the rotation period will determine the final model for the geometric structure of the magnetic field.

Ultimately, a direct inversion of the line profiles recorded in all four Stokes parameters will allow one to derive magnetic field maps without a priori assumptions. Since the inversion is an ill-posed problem, a regularization condition is needed. This is achieved with the magnetic Doppler imaging technique (Piskunov & Kochukhov 2002). It is very demanding in terms of the signal-to-noise ratio in the data, spectral resolution, and phase coverage. So far, these inversions are restricted to a few individual stars (e.g., Lüftinger et al. 2010; Kochukhov et al. 2004).

5 Field strength distribution and rotation

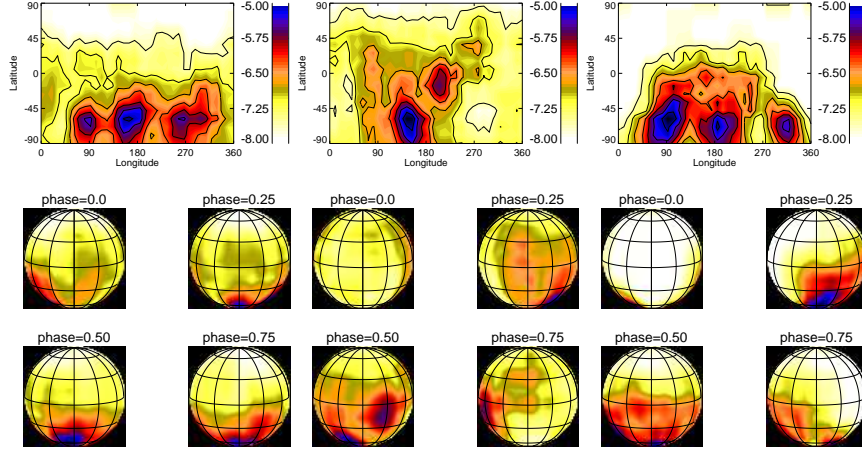
The mean longitudinal magnetic field distribution extends all the way down to the detection limit of 100 G or less (Landstreet 1982). The rms mean longitudinal magnetic field averaged over a stellar rotation period is of the order of 300 G for “classical” Ap stars, and larger (~ 1 kG) for hotter He weak and He strong Bp stars (Landstreet 1982).

The mean magnetic field modulus much better characterizes the intrinsic stellar magnetic field than the mean longitudinal magnetic field, which is much more dependent on the geometry of the observation. Most Ap stars with magnetically resolved lines have a mean magnetic field modulus (averaged over the stellar rotation period) comprised between 3 and 9 kG. But there is a lower cutoff of the distribution at 2.8 kG. One expects to be able to resolve lines down to 1.7 kG or lower at some rotation phases of some stars, but only for one target it is observed down to 2.2 kG. The lower limit of the magnetic field distribution is roughly temperature independent; hotter stars may have stronger magnetic fields than cooler stars (Mathys et al. 1997).

Ap star variation periods span five orders of magnitude. Until recently, there seemed to be no systematic differences between short and long period stars. A confirmation that very long periods are indeed rotation periods has been brought by BBLP (Leroy et al. 1994). The systematic study of Ap stars with resolved magnetically split lines has doubled the number of known stars with $P > 30$ days. The distribution of periods longer than 1 year is compatible with an equipartition on a logarithmic scale. No star with $P > 150$ d has a mean magnetic field modulus exceeding 7.5 kG. More than 50% of the stars with resolved lines and shorter periods have a magnetic field modulus above this value (Mathys et al. 1997). In the collinear dipole plus quadrupole and octupole model, the angle between the magnetic and rotation axis β is generally smaller than 20° for stars with $P > 30$ d, unlike for short period magnetic Ap stars, for which this angle is usually large (Landstreet & Mathys 2000).

Table 2 Multiplicity of different stellar types.

Type	Percentage	Reference	SB
Normal A	~ 35%	Kouwenhoven et al. 2005	
Normal B	~ 30%	Kouwenhoven et al. 2005	
Magnetic Ap	43%	Carrier et al. 2002	Very few SB2
Magnetic Bp	~ 20%	Renson & Manfroid 2009	Very few SB2
HgMn	> 90%	Schöller et al. 2010	2/3
Am	> 90%	Renson & Manfroid 2009	> 90%
roAp	24%	Schöller et al. 2012	2 out of ~ 45

**Fig. 3** Maps of the abundance distribution for Fe (left), Sr (middle), and Y (right) on the surface of the primary in the system AR Aur. – Credit: Hubrig et al., A&A, 547, A90, 2012, reproduced with permission ©ESO.

a total of six high probability companion candidates in a survey of 28 roAp stars. roAp stars pulsate in high-overtone, low-degree, nonradial p -modes, with periods in the range from 5.6 to 21 min and typical amplitudes of a few millimagnitudes (e.g. Kurtz et al. 1982). They are ideal targets for asteroseismology. The intriguing question is if and how multiplicity can shape the appearance of chemically peculiar stars. An overview about the prevalence of binaries in different classes of CP stars and normal stars can be found in Table 2.

One of the most exciting objects containing a HgMn star is the triple system AR Aur. The inner two stars constitute the only known eclipsing binary encompassing a HgMn star. This binary has an orbital period of 4.13 d and an age of 4 Myr. The two stars are of spectral types B9V and B9.5V, and while the primary HgMn star is exactly on the ZAMS, the secondary is still contracting (e.g. Nordström & Johansen 1994). Hubrig et al. (2012) used observations with SOFIN at the Nordic Optical Telescope to study the distribution of different elements over the surface of the primary HgMn star, using the Doppler mapping technique (see Fig. 3). From the same data set, they also determined the magnetic field in both primary and secondary (Fig. 4). AR Aur shows a similar behavior to other HgMn systems discussed

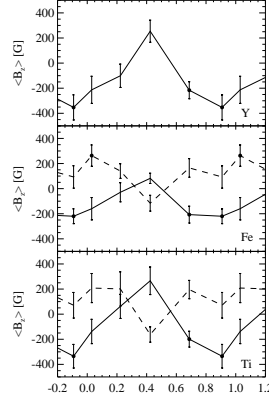


Fig. 4 Measurements of the mean longitudinal magnetic field presented as a function of the rotation phase for AR Aur. They were carried out separately for the elements Ti, Fe, and Y (from bottom to top). The solid line denotes the primary component, while the dashed line denotes the secondary component. Filled circles indicate 3σ measurements. – Credit: Hubrig et al., A&A, 547, A90, 2012, reproduced with permission ©ESO.

by Hubrig et al. (2012). The results suggest the existence of a correlation between the magnetic field, the abundance anomalies, and the binary properties. For the synchronously rotating components of the SB2 system AR Aur, it looks as if the stellar surfaces facing the companion star usually display low-abundance element spots and negative magnetic field polarity. The surface of the opposite hemisphere, as a rule, is covered by high-abundance element spots and the magnetic field is positive at the rotation phases of the best-spot visibility (Hubrig et al. 2010). Still, the discussion about the presence of weak magnetic fields in HgMn stars is still ongoing (see Kochukhov et al. 2013).

7 Summary

Chemically peculiar stars are probably the most challenging main sequence stars to model due to their magnetic fields, and the element segregation and stratification. They are ideal atomic physics laboratories. They are the best objects to learn about magnetic field models, to be applied to other classes of stars. Binarity and multiplicity for the different classes is different, which potentially leads to new insights into star formation mechanisms.

References

1. H. W. Babcock 1947, *ApJ* **105**, 105
2. H. W. Babcock 1960, *ApJ* **132**, 521
3. S. Bagnulo, M. Landolfi, G. Mathys, M. Landi Degl’Innocenti 2000, *A&A* **358**, 929
4. F. Carrier, P. North, S. Udry, J. Babel 2002, *A&A* **394**, 151
5. F. Castelli, S. Hubrig 2004, *A&A* **425**, 263
6. C. R. Cowley, G. C. L. Aikman 1975, *ApJ* **196**, 521
7. C. R. Cowley, S. Hubrig, T. A. Ryabchikova, et al. 2001, *A&A* **367**, 939
8. S. Hubrig, P. North, G. Mathys 2000, *ApJ* **539**, 352
9. S. Hubrig, C. R. Cowley, S. Bagnulo 2002, in *Exotic Stars as Challenges to Evolution*, ASP Conf. Ser. **279**, ed. by C. A. Tout, W. van Hamme, p. 365
10. S. Hubrig, I. Savanov, I. Ilyin, et al. 2010, *MNRAS* **408**, L61
11. S. Hubrig, J. F. González, I. Ilyin, et al. 2012, *A&A* **547**, A90
12. O. Kochukhov, S. Bagnulo, G. A. Wade, et al. 2004, *A&A* **414**, 613
13. O. Kochukhov, V. Makaganiuk, N. Piskunov, et al. 2013, *A&A* **554**, A61,
14. M. B. N. Kouwenhoven, A. G. A. Brown, H. Zinnecker, et al. 2005, *A&A* **430**, 137
15. D. W. Kurtz 1982, *MNRAS* **200**, 807
16. R. L. Kurucz 1993, *SYNTHES Spectrum Synthesis Programs and Line Data*, CD-ROM, No. 18
17. R. L. Kurucz 1997, in *The 3rd Conf. on Faint Blue Stars*, ed. by A. G. D. Philip, J. Liebert, R. A. Saffer (Schenectady: L. Davis Press), p. 33
18. J. D. Landstreet 1982, *A&AR* **4**, 35
19. J. D. Landstreet, G. Mathys 2000, *A&A* **359**, 213
20. J. L. Leroy, S. Bagnulo, M. Landolfi, E. Landi Degl’Innocenti 1994, *A&A* **284**, 174
21. J. L. Leroy 1995, *A&AS* **114**, 79
22. T. Lüftinger, O. Kochukhov, T. Ryabchikova, et al. 2010, *A&A* **509**, A71
23. G. Mathys 1993, *ASPC* **44**, 232
24. G. Mathys 1995a, *A&A* **293**, 733
25. G. Mathys 1995b, *A&A* **293**, 746
26. G. Mathys, S. Hubrig, J. D. Landstreet, et al. 1997, *A&AS* **123**, 353
27. G. Michaud 1970, *ApJ* **160**, 641
28. B. Nordström, K. T. Johansen 1994, *A&A* **282**, 787
29. N. Piskunov, O. Kochukhov 2002, *A&A* **381**, 736
30. P. Renson, J. Manfroid 2009, *A&A* **498**, 961
31. T. Ryabchikova, N. Piskunov, O. Kochukhov, et al. 2002, *A&A* **384**, 545
32. M. Schöller, S. Correia, S. Hubrig, N. Ageorges 2010, *A&A* **522**, A85
33. M. Schöller, S. Correia, S. Hubrig, D. W. Kurtz 2012, *A&A* **545**, A38